Al-Driven Digitally
Immersed Learning
for the Future of
Supply Chain
Innovation

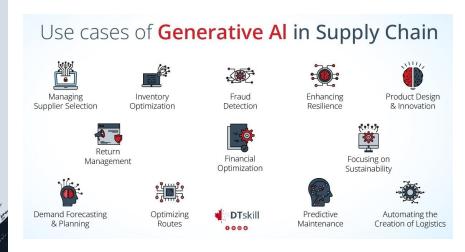
Dr. Carlos D. Paternina-Arboleda
San Diego State University
BHEF Faculty Innovation Fellowship - 2025







- All is transforming supply chains. But are we preparing students for this reality?
- The future of supply chain leadership belongs to those who can harness AI effectively.



https://www.linkedin.com/pulse/use-cases-generative-ai-supply-chain-dtskill/

The Problem: Education is facing a rapid evolution

- Industry now runs on Al
- Without Al-driven learning, we risk a skills gap.
- Students must learn using realworld AI tools, not just theory.



The Solution: Al-Driven Learning

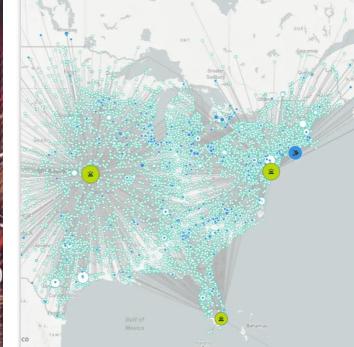


 Augmented Reality & Digital Twins for hands-on learning

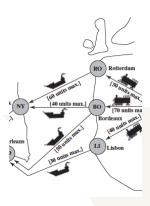
 Al-powered Logistics & Transportation Modeling

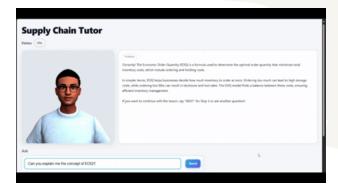


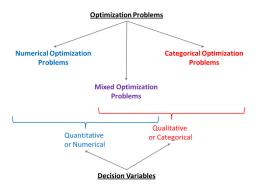












Example: Scenario 1 – Building a mathematical constraint for Sustainable Transportation – FLOW CONSERVATION

- Showing only how to build one constraint in this example. Understanding that we have decision variables:
 - Container Flow Quantity Variable
 - Binary Movement Activation Variable
 - Intermodal Transfer Activation Variable
 - Dwell Time Variable
 - Tank-to-Wheel Emissions Variable
 - Exogenous Flow Parameter (Treated as a Variable in Constraint)
- We also have the parameters (known values) for building the proposed equation:
 - Distance Between Nodes by Mode
 - Travel Time Between Nodes by Mode
 - Tank-to-Wheel Emission Factor
 - Transport Cost Per Arc by Mode and Container Type
 - Maximum Arc Capacity by Mode and Time
 - Container Weight by Type
 - Carbon Price Per Unit Emission by Container Type
 - Transfer Cost at Intermodal Nodes
 - Dwell Cost by Node, Time, and Container Type

Output – Flow conservation constraint

Flow conservation (with dwell) — for all $i \in N, \ k \in K, \ \tau \in T$

$$\underbrace{y_{ik,\tau-1}}_{\text{inventory carried in}} + \underbrace{\sum_{(j,m,t,k) \in \Omega_{\text{in}}(i,\tau)} x_{jimkt}}_{\text{flows that arrive now}} + \underbrace{\sum_{(j,m,t,k) \in \Omega_{\text{in}}(i,\tau)} x_{jimkt}}_{\text{exogenous net supply (+) or demand (-)}} = \underbrace{y_{ik\tau}}_{\text{inventory carried out}} \text{(FG)} \underbrace{\sum_{(i,j,m) \in A} x_{ijmk\tau}}_{\text{departures now}}$$

Explanation (why each term is here)

- Left side = what's available now at (i, τ) :
 - (i) containers you had at the end of last period, $y_{ik,\tau-1}$;
 - (ii) containers that **physically arrive** at time au after traveling their mode-specific Δ ;
 - (iii) any external injections/withdrawals, $q_{ik\tau}$ (positive adds supply; negative removes to meet demand).
- Right side = where it goes now:
 - (i) you may keep some to the next tick as end-of-period inventory $y_{ik au}$ (this is your **dwell**);
 - (ii) you may **depart** some on outgoing arcs at the current time τ .

This equality enforces—for each node, hour, and container type—that outbound and inbound flows (plus inventory dynamics) are perfectly balanced with any exogenous supply/demand. It guarantees (1) valid movement history, (2) supply/demand respect at each node-time, (3) no disappearance/duplication of containers, and (4) a physically traceable solution.

Watch the AI interaction that helped create this equation **here**.

Join Us in Transforming Supply Chain Education!

- We are shaping the future of Al-driven learning.
- Let's make Al-driven learning a defining strength of SDSU.
- Let's build a world-class Aldriven learning experience that prepares students for tomorrow's supply chain industry—today!

Thank you!

